$\qquad$ Date $\qquad$ Per $\qquad$

## Unit 6 Test Review HW - Exponential Functions and Their Applications

For each of the following, tell whether it is exponential, linear, growth, decay and/or none (use as many words as apply).

13. Cinderella and Aurora are selling chocolate bars for their school fundraiser. Cinderella decides that her goal will be to sell 1 candy bar initially, 3 candy bars the next day, 9 the following day, and so on. Aurora decides that she will sell 75 candy bars initially, 85 the next day, 95 the following day, and so on.
a. Who starts out selling the most chocolate bars?
b. Who will sell more candy bars after 5 days?
14. The cost of a particular piece of artwork is increasing exponentially, according to the formula $C(t)=d(1.045)^{t}$ where $\boldsymbol{d}$ represents the initial value of the art.
a. In the context of the problem, what does the 1.045 represent?
b. If the artwork was originally worth two thousand dollars in 2010, how much could it be sold for in 2017?
15. Alex bought a rare coin for $\$ 75$. He predicts that the value of his coin will increase by $15 \%$ every year.
a. Write a function to model this situation.
b. What will the value of Alex's coin be after 6 years? Use appropriate rounding.
c. If Alex's predictions are accurate, when will the value of his coin exceed $\$ 300$ ?

Given $f(x)=5 \cdot 2^{x+1}$ and $g(x)=-7 x+2$, find each of the following.

| 16. $g(-1)$ | 17. $f(-1)$ | 18. $f(-1)+g(4)$ |
| :--- | :--- | :--- |
| 19. $f(2)$ | 20. $f(-2)$ | $21 . f(-2)+g(-1)$ |

22. Use the data below to create a graph.

| Oil Changes Per Year | 3 | 5 | 2 | 3 | 1 | 4 | 6 | 4 | 3 | 2 | 0 | 10 | 7 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Cost of Repairs (\$) | 300 | 300 | 500 | 400 | 700 | 400 | 100 | 250 | 450 | 650 | 600 | 0 | 150 |


a. Is this data best described as linear, exponential, growth, and/or decay? Explain your response.
b. Which equation below is the most reasonable to model the data? Justify your reasoning.

$$
\begin{array}{ll}
y=70 x-650 & y=-70 x+650 \\
y=650 \cdot 0.4^{x} & y=650 \cdot 2.4^{x}
\end{array}
$$

23. You decide to take out a car loan for $\$ 4000$ at a simple interest rate of $4.6 \%$ each year. Assuming you don't pay any of it back, how much money do you owe after 5 years?
24. You decide to take out a car loan for $\$ 4000$ that is compounded annually at an interest rate of $4.6 \%$ each year. Assuming you don't pay any of it back, how much money do you owe after 5 years?
25. Anthony and Joline are studying the amount of money spent on smartphones in the United States from 2011 to 2015. Anthony looks at the data and decides that it appears to be linear. His equation is $y=6.601 x+27.988$. Joline thinks the data appears to be exponential. She writes the equation $y=29.4531(1.16887)^{x}$. For both equations $x$ is the number of year after 2011. A table of values is given below. Based on the table, which function (exponential or linear) do you believe is best? Explain your thinking.

| Year | Projected Smart Phone Sales <br> Based on Linear Function <br> (in billions) <br> $y=6.601 x+27.988$. | Projected Smart Phone Sales <br> Based on Exponential <br> Function <br> (in billions) <br> $y=29.4531(1.16887)^{x}$ | Actual Sales <br> (in billions) |
| :---: | :---: | :---: | :---: |
| 2011 | 27.988 | 29.4531 | 27.5 |
| 2012 | 34.589 | 34.4268 | 33.7 |
| 2013 | 41.19 | 40.2405 | 42.96 |
| 2014 | 47.791 | 44.392 | 54.9789 |

26. You purchased a car in 2012 for $\$ 25,999$. It is depreciating at a rate of $13 \%$ each year.
a. How much did the car depreciate in 1 year?
b. How much will the car be worth in 2015? Write an equation and solve.
27. There are two types of flu spreading in Santa Clarita. Flu A is infecting the population at a growing rate of $16 \%$ each month with an initial population of 5 people. Flu B is infecting the population by an additional 15 people each month with an initial population of 5 people.
a. Which flu is linear and which flu is exponential? How do you know?
b. Write an equation for Flu A , to model the number of infected people after " t " months.
c. Write an equation for Flu $B$, to model the number of infected people after " t " months.
d. How many people will be infected by each of the flu types after 20 months?
e. After how many months will Flu A infect more people than Flu B?
\#28-29 Graph each exponential functions by creating a table of values. Show all your calcultations.
28. $y=5 \cdot 2^{x}$


29. $y=4 \cdot\left(\frac{1}{2}\right)^{x}$



## Answer Key



