$\qquad$ Period: A B C D E F Date: $\qquad$ Assessment Review: Module 1 Topic 2 - Similarity

| 1 | Triangle $D E F$ has vertices $D(-4,1), E(2,3)$, and $F(2,1)$ and is dilated by a factor of 3 using the origin as the point of dilation. The dilated triangle is named $\Delta D^{\prime} E^{\prime} F^{\prime}$. What are the coordinates of the vertices of the resulting triangle? Write the rule for this dilation below. <br> Rule: (X, Y)----> | 2 | Trapezoid ABCD is dilated to form trapezoid A'B'C'D'. Without calculating the scale factor, explain if the dilation is an enlargement or reduction and how you know this. <br> Circle one: Enlargement <br> I know this because $\qquad$ |
| :---: | :---: | :---: | :---: |
| 3 | Describe a sequence of transformations that exhibits the similarity between the pair of figures shown. Remember to be specific. <br> 1) $\qquad$ $\qquad$ <br> 2) $\qquad$ | 4 | Triangle $A B C$ is dilated to produce triangle $A^{\prime} B^{\prime} C^{\prime}$ with scale factor $3 / 4$. Which describes the relationship between the two triangles. Circle one below: <br> a. $\triangle A^{\prime} B^{\prime} C^{\prime}$ is an enlargement of $\triangle A B C$. <br> b. $\triangle A^{\prime} B^{\prime} C^{\prime}$ is a reduction of $\triangle A B C$. <br> c. $\triangle A^{\prime} B^{\prime} C^{\prime} \cong \triangle A B C$ <br> d. $\triangle A^{\prime} B^{\prime} C^{\prime}$ is a mirror image of $\triangle A B C$. <br> Write the rule for the dilation described above: <br> Rule: (X, Y)----> $\qquad$ |


| 5 | Which must be true of a scale factor of a <br> dilation if the image is smaller than the <br> original figure? 6 Triangle $F U N$, with vertices <br> $F(-6,9), U(0,-6)$, and $N(-3,-12)$ <br> was dilated to form triangle $P E T$ with <br> vertices <br> $P(-4,6), E(0,-4)$, and $T(-2,-8)$. <br> a. The scale factor is negative. <br> b. The scale factor is between -1 and 0. <br> c. The scale factor is between 0 and 1. <br> d. The scale factor is positive. <br> What is the scale factor for this dilation? <br> Scale factor: -_ <br> This dilation is a(n): <br> Circle one: Enlargement Reduction |
| :---: | :---: |
| 7 | Triangle ABC has vertices with coordinates $\mathrm{A}(-2,-2), \mathrm{B}(-6,-2)$, and $\mathrm{C}(-6,2)$. <br> a. Dilate $\triangle \mathrm{ABC}$ on the coordinate plane using the origin as the center of dilation and a scale factor of $1 / 2$ to form $\Delta A^{\prime} B^{\prime} C^{\prime}$. <br> b. What are the coordinates of $\mathrm{A}^{\prime}, \mathrm{B}^{\prime}$, and $\mathrm{C}^{\prime}$ ? <br> A' $\qquad$ B' $\qquad$ C' $\qquad$ <br> c. How did you determine the coordinates of the vertices of the dilated image? $\qquad$ $\qquad$ $\qquad$ <br> d. Is the dilation an enlargement or a reduction? Explain your reasoning. $\qquad$ $\qquad$ $\qquad$ <br> e. What is the relationship between $\triangle A B C$ and $\triangle \mathrm{A}^{\prime} \mathrm{B}^{\prime} \mathrm{C}^{\prime}$ ? |
| 8 | Determine whether the statements are sometimes, always, or never true. <br> a. The angles of dilated figures are congruent to the original figure. $\qquad$ <br> b. The shape of dilated figures are the same. $\qquad$ <br> c. The size of dilated figures are the same. $\qquad$ <br> d. Dilations can be enlargements of the original figure. $\qquad$ <br> e. Dilations can be reductions of the original figure. $\qquad$ |


| 9 | A shape is dilated with the center of dilation as the origin. Point $M$ is on the shape and $M^{\prime}$ is the corresponding point on the image of the dilation. Point $M$ is at $(-3,5)$ and $M^{\prime}$ is $(-6,10)$. What is the scale factor and how do you know? $M(-3,5)--->M^{\prime}(-6,10)$ <br> Scale factor: $\qquad$ <br> This dilation is $\mathrm{a}(\mathrm{n})$ : <br> Circle one: Enlargement Reduction |
| :---: | :---: |
| 10 | Parallelogram ABCD is transformed to create parallelogram A' ${ }^{\prime} C^{\prime} D^{\prime}$. Which of the following shows the sequence of transformations needed to create $A^{\prime} B^{\prime} C^{\prime} D^{\prime}$. <br> A. Dilation by a factor of $\frac{3}{2}$ about the origin and a translation of 3 units right. <br> B. Dilation by a factor of $\frac{2}{3}$ about the origin and a translation 3 units right. <br> C. Dilation by a factor of $\frac{3}{2}$ about the origin and a translation 3 units left. <br> D. Dilation by a factor of $\frac{2}{3}$ about the origin and a translation 3 units left. |



