## Three Forms of Quadratic Functions

| If your equation is in $\qquad$ form, how do you find the ? $\qquad$ | $\begin{gathered} \text { VERTEX FORM } \\ y=a(x-h)^{2}+\boldsymbol{k} \end{gathered}$ | STANDARD FORM $y=a x^{2}+b x+c$ | $\begin{gathered} \text { FACTORED FORM } \\ y=a\left(x-r_{1}\right)\left(x-r_{2}\right) \end{gathered}$ |
| :---: | :---: | :---: | :---: |
| AXIS OF SYMMETRY (AOS) | (the AOS is the $x$ value of the vertex) ***hhink opposite. | $x=\frac{-b}{2 a}$ | Find the $x$-intercepts first, then the Axis of symmetry is in the middle, the "average of the $x$ intercepts. |
| VERTEX | (h,k) | Plug AOS into the original function to solve for the $y$ value of the vertex | Plug AOS into the original function to solve for the $y$ value of the vertex |
| X-INTERCEPTS | Get into factored form and use the zero product property | Get into factored form and use the zero product property | Use the zero product property. |
| Y-INTERCEPT | *Plug in 0 for the $x$ intercept or <br> *get into standard form to find the c-value | y-intercept $=\mathrm{c}$-value | * Plug in Osfor the x's and find the y intercept or <br> * Change equation into standard form and find the c-value |
| YOUR TURN | VERTEX FORM $y=(x+1)^{2}-9$ | STANDARD FORM $y=x^{2}-6 x+5$ | FACTORED FORM $y=2(x-1)(x-3)$ |
| AXIS OF SYMMETRY |  |  |  |
| VERTEX <br> $\wedge^{(h, k)}$ |  |  |  |
| X-INTERCEPTS |  |  |  |
|  |  |  |  |

